

Company Presentation

QRISP die Schnittstelle der nächsten Generation zur Umsetzung von Quantenalgorithmen

Dr. Ulrich Meier

Business Development Manager

September 2025



Our Mission

We build world leading quantum computers for the well-being of humankind, now and for the future



IQM in numbers

IQM × 97150

330⁺ Employees

135+

PhDs

200M€ +275M€

investments

30+

full systems built

15+

full systems sold

2018
Founded

50⁺ Nationalities

150 qubit chip in development 500+ Cloud users On-prem & cloud



IQM Customer Deliveries





10+ full systems delivered and installed 15+ systems sold

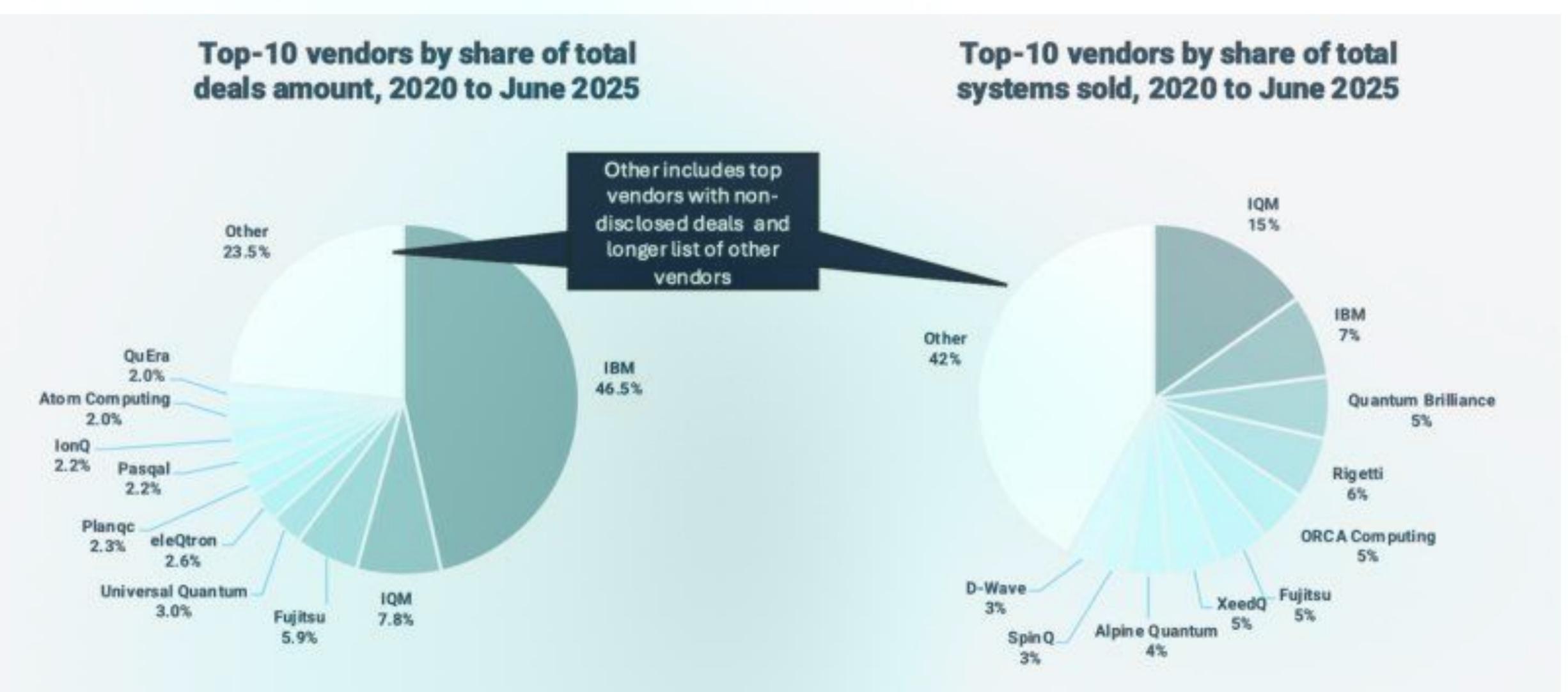
*US Oak Ridge is Cloud delivery



IQM leads in number of systems installed

Data published by "The Quantum Insider"

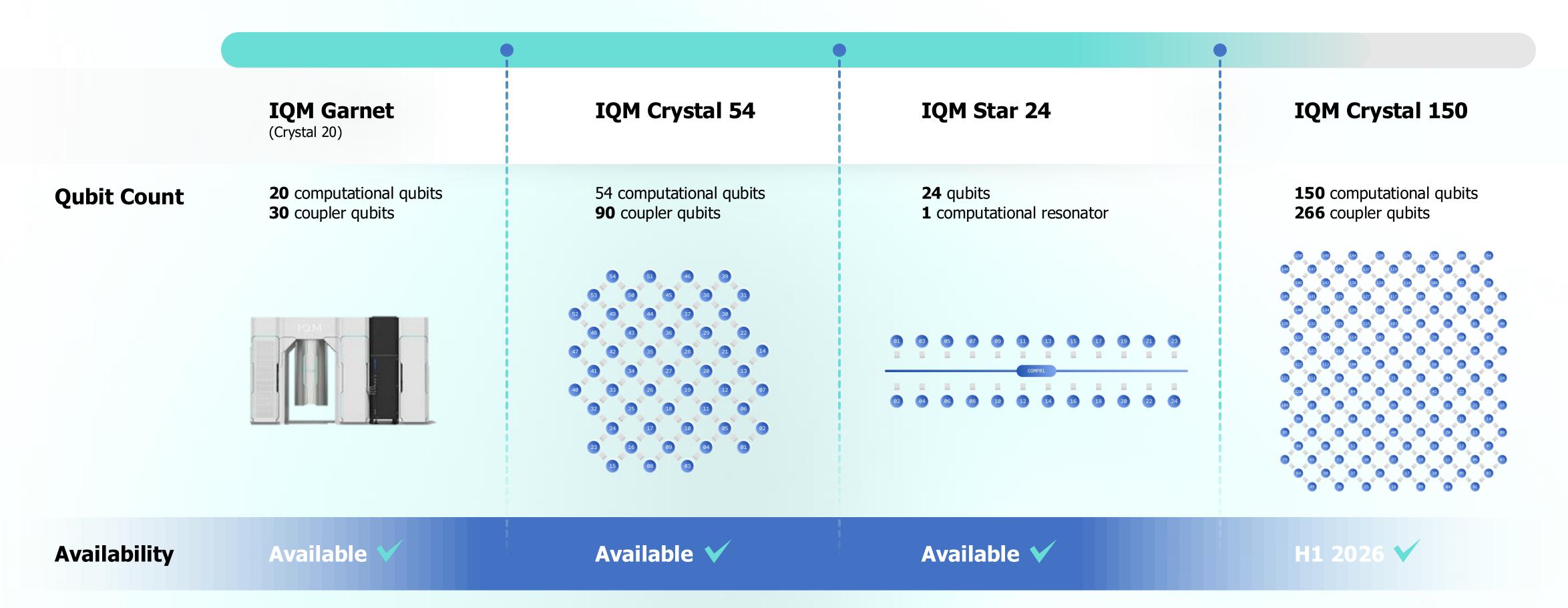




Our road to a superior quantum harware platform



IQM Hardware Roadmap



IQM × qrisp

Quantum Algorithm Development

- Algorithm development via circuit construction is slow, unstructured and can not be modularized!
- More **systematic** quantum software development will be an important part in achieving Quantum Advantage for many fields of applications.
 - •D-WayDHAOeeabDA-Q
 - •Rigetti Forest
 - •IBM Qiskit
 - •Google Cirq
 - Microsoft Quantum Development Kit (QDK)
 - •Zapata Orquestra
 - •1QBit 1QBit SDK
 - Amazon Braket SDK
 - •ETH Zurich ProjectQ
 - •Xanadu PennyLane
 - •Riverlane Anian

and more

Abstraction Level

- Logical Gates
- Qubits

Physcial Level for Superconducting Qubits

- Microwave Pulses
- Accessible on IQM through Pulla

Single Qubit Gates

What can we do with a single classical bit?

Nothing Identity = 1 Bit Flip = NOT

That's it

IQM

set to bit = 1

set to bit = 0

Qubits have more to offer

Identity:
$$1 = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \quad \begin{array}{c} |0\rangle \rightarrow |0\rangle \\ |1\rangle \rightarrow |1\rangle \end{array}$$

Bit-flip NOT:
$$X = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix} \quad \begin{array}{c} |0\rangle \rightarrow |1\rangle \\ |1\rangle \rightarrow |0\rangle \end{array}$$

Bit-phase-flip:
$$Y = \begin{bmatrix} 0 & -i \\ i & 0 \end{bmatrix} \begin{array}{c} |0\rangle \rightarrow i |1\rangle \\ |1\rangle \rightarrow -i |0\rangle \end{array}$$
 Pauli Operators

Phase-flip:
$$Z = \begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix} \begin{array}{c} |0\rangle \rightarrow |0\rangle \\ |1\rangle \rightarrow -|1\rangle \end{array}$$

Pauli

Hadamard creates an equal superposition

Hadamard:
$$H = \frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix} \quad \begin{vmatrix} |0\rangle \Rightarrow \frac{1}{\sqrt{2}} \left(|0\rangle + |1\rangle \right) \\ |1\rangle \Rightarrow \frac{1}{\sqrt{2}} \left(|0\rangle - |1\rangle \right) \quad H = \frac{1}{\sqrt{2}} \left(X + Z \right)$$

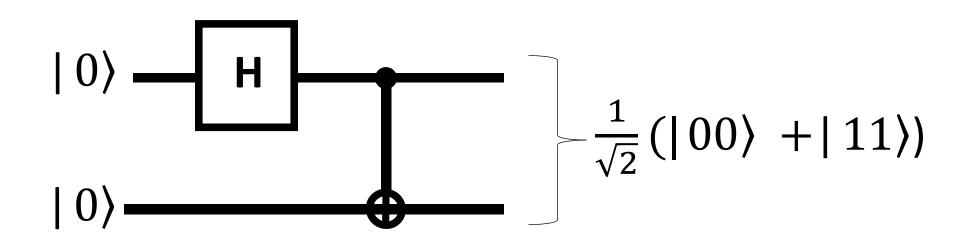
Phase-shift:
$$P_{\varphi} = \begin{bmatrix} 1 & 0 \\ 0 & e^{-i\varphi} \end{bmatrix} \qquad \begin{array}{c} |0\rangle \rightarrow |0\rangle \\ |1\rangle \rightarrow e^{-i\varphi} |1\rangle \end{array}$$



How to become Entangled?

We need the Controlled NOT action on 2 Qubits

C-NOT
$$= \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$$
 If flips the 2nd Qubit (Target) if the the 1st Qubit (Control) is $|1\rangle$ If does nothing if the the 1st Qubit (Control) is $|0\rangle$



In the 1930s when scientists, including Albert Einstein and Erwin Schrödinger, first discovered the phenomenon of entanglement, they were perplexed. Entanglement, disturbingly, required two separated particles to remain connected without being in direct contact.

Einstein famously called entanglement
"spooky action at a distance (spukhafte Fernwirkung" since the particles seemed to be communicating faster than the speed of light.

$$|\hspace{.06cm}0\rangle\hspace{.08cm}|\hspace{.06cm}0\rangle\hspace{.08cm}\stackrel{H}{\longrightarrow}\hspace{.08cm}\frac{1}{\sqrt{2}}(|\hspace{.06cm}0\rangle\hspace{.08cm}+|\hspace{.06cm}1\rangle)\hspace{.08cm}|\hspace{.06cm}0\rangle\hspace{.08cm}\stackrel{\text{C-NOT}}{\longrightarrow}\hspace{.08cm}\frac{1}{\sqrt{2}}(|\hspace{.06cm}0\rangle|\hspace{.08cm}0\rangle\hspace{.08cm}+|\hspace{.06cm}1\rangle|\hspace{.08cm}1\rangle)$$

No Hidden Variables Shared Randomness

Introducing Qrisp



- Qrisp is a fully compilable, high-level programming framework.
- Central building block is the QuantumVariable.
- Significantly enhances development aspects likeprototyping, code size, maintainability, bugfixing/testing, modularity, readability, refactoring etc.

www.qrisp.eu, Setup: pip install qrisp

What is Qrisp?

- Structured Programming for Quantum Algorithms.
 - Simplifies development & maintenance, easy scalable
- Hardware Agnostic.
 - Qrisp is directly compatible with devices manufactured by IQM, IBM, eleQtron and AQT.
- Integrated Quantum State Simulator
 - Powerful tool for testing and debugging
- Developed by Fraunhofer FOKUS
- Open Source
 - Democratizing access to quantum computing.

www.qrisp.eu, Setup: pip install qrisp

Qrisp core elements



QuantumVariable

- Can be of Quantum Types: QuantumFloat, QuantumBool, QuantumModulus, QuantumChar
- Users can create custom quantum types by inheriting from QuantumVariable specifying which values should represented and how they are encoded. i.e QuantumColor

QuantumSession

 Each QuantumVariable is registered in exactly one QuantumSession. The QuantumSession manages the lifetime cycle of the QuantumVariables

QuantumArray

Multiple QuantumVariables can be handled within a QuantumArray

Quantum Dictionary

extends a classical python dictionary, by allowing QuantumVariables as keys

Uncomputation

auto_uncompute or manual uncompute to free resources

Session Merging

Automatically by entangling operation, manually with merge function

QuantumFloat



class QuantumFloat(msize, exponent=0, qs=None, name=None, signed=False)

```
>>>> from qrisp import QuantumFloat
>>>> a = QuantumFloat(3, -1, signed = False)
```

3 indicates the amount of mantissa qubits and the -1 indicates the exponent

```
f_k(i)=i2^k
```

>>>> for i in range(2**a.size): print(a.decoder(i))

- 0.0
- 0.5
- 1.0
- 1.5
- 2.0
- 2.5
- 3.0
- 3.5

QuantumFloat signed



class QuantumFloat(msize, exponent=0, qs=None, name=None, signed=True)

```
>>>> from qrisp import QuantumFloat
>>>> b= QuantumFloat(2, -1, signed = True)
```

2 indicates the amount of mantissa qubits and the -2 indicates the exponent. Here we have $2^2=4$ values and their signed equivalents. The precision is $0.25=2^{-2}$

```
f_k^n(i) = egin{cases} i2^k & 	ext{if } i < 2^n \ (i-2^{n+1})2^k & 	ext{else} \end{cases}
                 >>> for i in range(2**b.size): print(b.decoder(i))
                           0.0
                           0.25
                           0.5
                           0.75
                           -1.0
                           -0.75
                           -0.5
       IQM
                           -0.25
```

```
>>> from qrisp import q_div,

>>> qf_inversion

>>> a = QuantumFloat(3)

>>> b = QuantumFloat(3)

>>> b[:] = 7

>>> c = q_div(a, b, prec = 6)

>>> print(c)

{0.140625: 1.0}
```

$$>>> 1/7 - 0.140625 = 0.002232...$$
 Result is less than 2^{-6}

IQM × qrisp

Code Example

Simple addition

```
%%capture
!pip install qrisp[iqm]

from qrisp import *

a = QuantumFloat(4)
a[:] = 2
b = a+a
b.get_measurement()

OUT: {4: 1.0}
```

From the simulator with 100%

On a real machine

```
%%capture
  !pip install qrisp[iqm]
  from qrisp.interface import IQMBackend
  token = "YOUR TOKEN"
  iqm_emerald = IQMBackend(api_token = token,
                   device_instance = "emerald:timeslot")
  a = QuantumFloat(4)
  a[:] = 2
  b = a + a
  b.get_measurement(backend = iqm_emerald)
  OUT: {4: 0.554, 3: 0.101, 0: 0.073, 1: 0.07, 6: 0.055,
         10: 0.045, 4: 0.027, 7: 0.015, 5: 0.012, 11: 0.011,
         12: 0.009, 14: 0.009, 15: 0.007, 8: 0.006, 9: 0.003,13: 0.003}
More shots: b.get_measurement(backend = iqm_emerald, shots=2000)
  OUT: {4: 0.6365, 0: 0.066, 3: 0.0595, 10: 0.047, 1: 0.035, 6: 0.033,
         11: 0.023, 2: 0.018, 12: 0.0165, 5: 0.013, 7: 0.0125, 8: 0.012,
         14: 0.0095, 9: 0.0075, 13: 0.0055, 15: 0.0055}
```

IQM × grisp

Code Example Quantum Loops

```
from qrisp import QuantumFloat, qRange, h
# Create some QuantumFloats
n = QuantumFloat(3)
qf = QuantumFloat(5)
# Initialize the value 4
n[:] = 4
# Apply H-gate to 0-th qubit
h(n[0])
print(n) # Yields {4.0: 0.5, 5.0: 0.5}
# Perform successive addition of increasing numbers
for i in qRange(n):
    qf += i
print(qf) # Yields {10.0: 0.5, 15.0: 0.5}
# Agrees with the expectation of qf = n*(n+1)/2
```

Code Comparison









```
from qrisp import QuantumFloat
n = 6
a = QuantumFloat(n)
b = QuantumFloat(n)
a[:] = 3
b[:] = 4
res = a*b
print(res)
#Yields: {12: 1.0}
```

```
from qiskit import (QuantumCircuit, QuantumRegister,
ClassicalRegister, Aer, execute)
from qiskit.circuit.library import RGQFTMultiplier
n = 6
a = QuantumRegister(n)
b = QuantumRegister(n)
res = QuantumRegister(2*n)
cl_res = ClassicalRegister(2*n)
qc = QuantumCircuit(a, b, res, cl_res)
for i in range(len(a)):
    if 3 & 1<<i: qc.x(a[i])
for i in range(len(b)):
    if 4 & 1<<i: qc.x(b[i])
qc.append(RGQFTMultiplier(n, 2*n),
list(a) + list(b) + list(res))
qc.measure(res, cl_res)
backend = Aer.get_backend('qasm_simulator')
counts_dic = execute(qc, backend).result().get_counts()
print({int(k, 2) : v for k, v in counts_dic.items()})
#Yields: {12: 1024}
```

```
import pennylane as qml
import numpy as np
w_m = [0, 1, 2]
w_k = [3, 4, 5]
w_sol = [6, 7, 8, 9]
dev = qml.device("default.qubit", wires=w_m + w_k + w_sol, shots=1)
n_wires = len(dev.wires)
def add(k, wires):
    for j in range(len(wires)):
        qml.RZ(k * np.pi / (2**j), wires=wires[j])
def multiplication(w_m, w_k, w_sol):
    qml.QFT(wires=w_sol)
    for i in range(len(w_k)):
        for j in range(len(w_m)):
            coeff = 2 ** (len(w_m) + len(w_k) - i - j - 2)
            qml.ctrl(add,control=[w_k[i], w_m[j]])(coeff, w_sol)
    qml.adjoint(qml.QFT)(wires=w_sol)
@qml.qnode(dev)
def mul(m, k):
    qml.BasisEmbedding(m, wires=w_m)
    qml.BasisEmbedding(k, wires=w_k)
    multiplication(w_m, w_k, w_sol)
    return qml.sample(wires=w_sol)
print(f"The ket representation of 3*7 is {mul(3,4)}")
#Yields: The ket representation of 3*7 is [10101]
```

Next-gen SDK Qrisp as default



Potential
Developer Market
Share Migration

>70%

Based on early usage metrics and developer feedback

Easy to learn and super quick to develop

50x more compact and 10x better performance outcomes, even as systems grow

Powerful features for the future

HPC Integration, Pulse level access, Hybrid runtime, error mitigation integration and designed for errorcorrection era

Open & Integrated

Cloud access, open source, real-world ready

10 times fewer entangling Gates and 1.000.000.000.000 faster resource estimation for simulation of Beryllium Hydride compared to Qiskit.

Exponentially **faster** arithmetic through carry-lookahead adders

3 times faster quantum circuit simulation than Qiskit to facilitate development workflow and testing.

10 times faster quantum compilation for amplitude amplification problems compared to Pennylane or Qiskit

World's most efficient quantum implementation available with ~2% of code base vs Qiskit



Qiskit

11

50x Productivity Gain

50

Source: Public Information, GitHub

Lines of code required for the implementation of Shor's algorithm

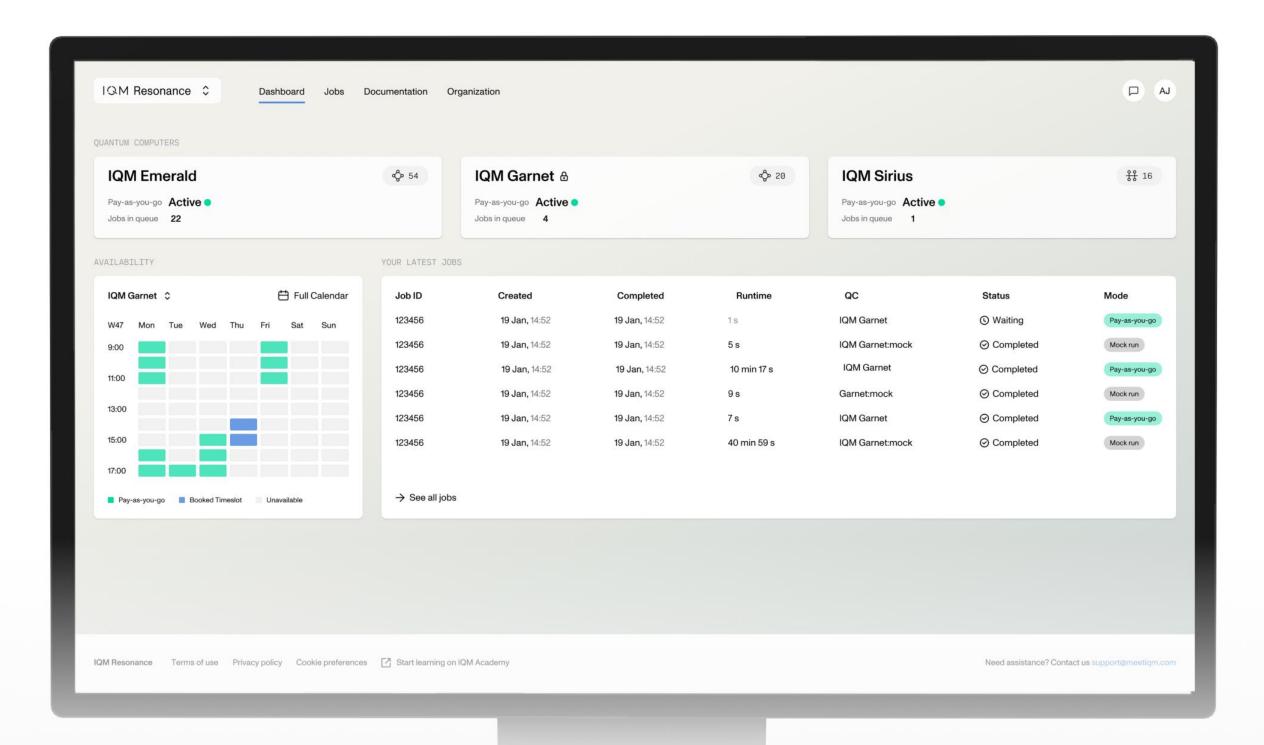
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- → Access to IQM's unique quantum computer topologies and learning resources
- → Limited-time access to our flagship Crystal 54 device for all Starter users
- → Sign up now
- → https://resonance.meetiqm.com/sign-up
- → IQM Academy
 Your one-stop shop for online quantum education
 Including Qrisp
- → https://academy.meetiqm.com/

A major upgrade to IQM Resonance

Access to our 54-qubit Crystal system, pulse-level access, advanced error handling, upgrades to IQM Academy, a new QAOA library, and more.







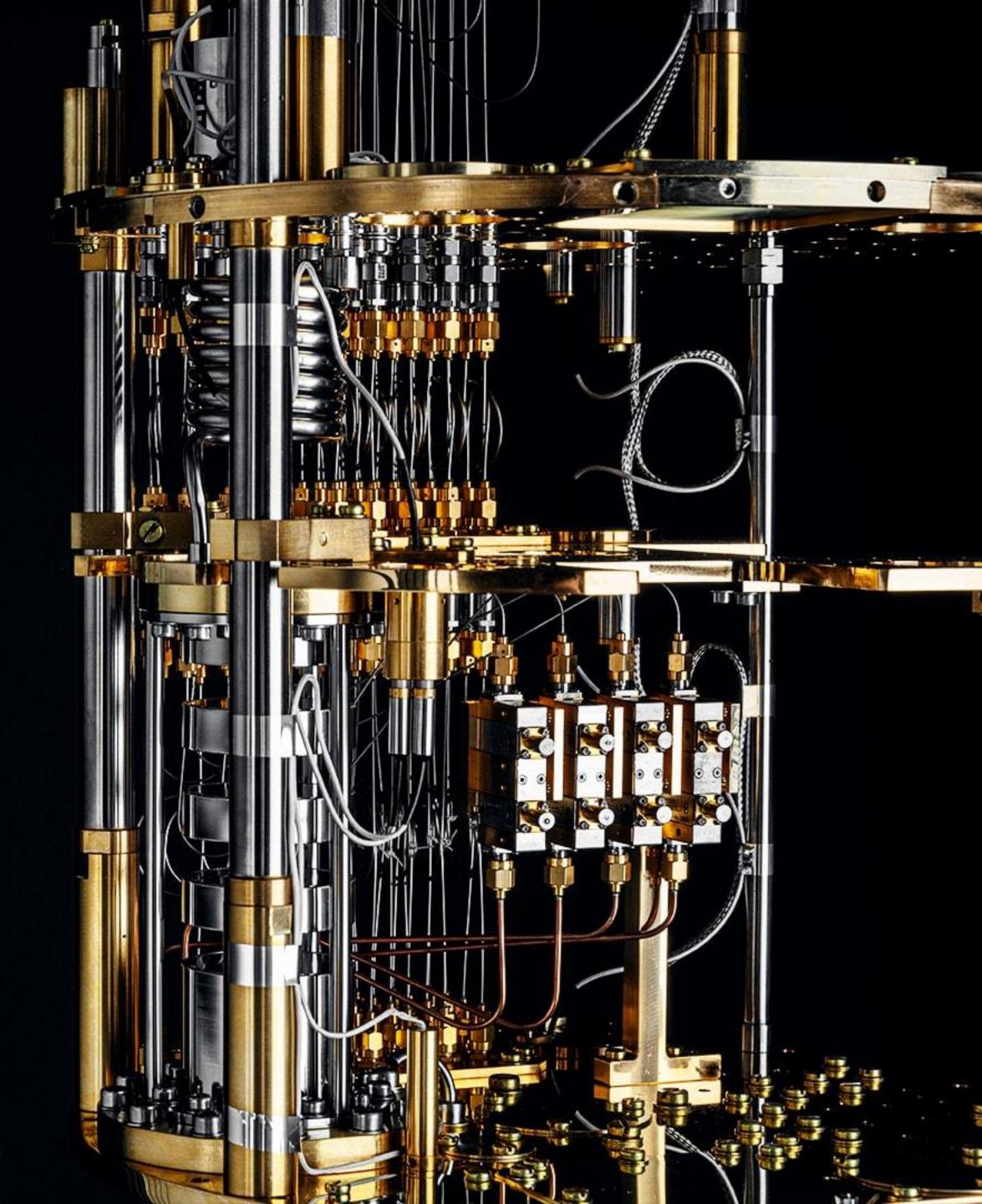
Let's start your quantum journey, together



Got questions? Just <u>contact</u> us!

Follow us on <u>LinkedIn</u> to stay informed with our latest news.





We have a unique combination of critical infrastructure





Chip fabrication facility

200 mm fabrication facility
Optimized for QPU piloting and production

- Location: Espoo, Finland
- ➤ Area: 560 m2 +200 m2 expansion underway
- Next generation chip factory for errorcorrection roadmap planned



Assembly line

Full stack model benefitting from holistic view and control over the build and processes

- Lower production costs due to value chain control
- Customers benefit from better system performance and system stability
- > Capacity for up to 20 systems per year



Quantum Data Center

Safe and secure environment for hosting quantum cloud

- Location: Munich, Germany
- ➤ Hosting IQM's quantum cloud -Resonance[™]
- Further investment plans to expand capabilities

State-of-the-art operations site for IQM Quantum Cloud

Full and secure operations sites in Finland and Germany

Full-service support by IQM



The world's largest assembly line, designed to deliver on-premises quantum computers

Capacity to build 20 full-stack quantum computers per year

